## Computation in Genetic Code-Like Transformations

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The gene expression process in nature evaluates the fitness of a DNA through the production of different proteins in different cells. The DNA sequence first produces the mRNA sequence and the mRNA produces protein by using a transformation called the *genetic code*[1]. It has been shown [2]that genetic code-like transformations introduce very interesting properties to the representation of a genetic fitness function. Such transformations can convert functions<sup>1</sup> with exponentially large description in Fourier<sup>2</sup> basis to one that is highly suitable for polynomial-size approximation. Such transformations can construct a Fourier representation with only a polynomial number of terms that are exponentially more significant than the rest when fitter chromosomes are given more copies through a redundant, equivalent representation. This is a very desirable property for efficient induction of function representation from data which is a fundamental problem in learning, data mining, and optimization.

## References

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 $<sup>^1\</sup>mathrm{Although}$  the class of such functions is yet to be precisely characterized, the paper develops a general understanding.

 $<sup>^{2}</sup>$ The analysis is identical to that using Walsh basis; however, I choose the term Fourier because of its historical [3] use in function approximation literature.